

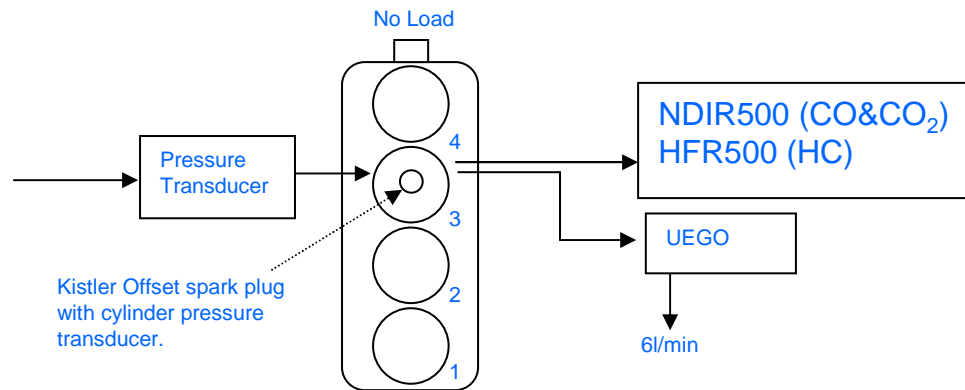
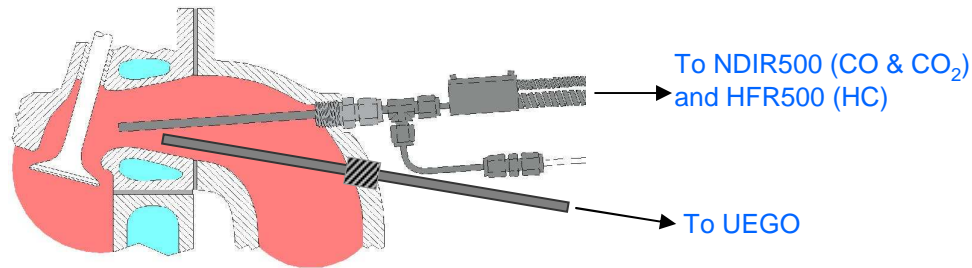
**Measurement of cycle-by-cycle AFR  
using a fast response NDIR analyzer  
for cold start fuelling calibration  
applications.**



# Background

- Cold start remains a significant source of emissions.
- Emissions tend to be linked to poor combustion.
- Air: Fuel Ratio (AFR) is a key factor governing combustion quality. AFR normalised to stoichiometry gives  $\lambda$ .
- $\lambda$  is critical in analysing and controlling emissions during cold start.

# Experimental Setup:

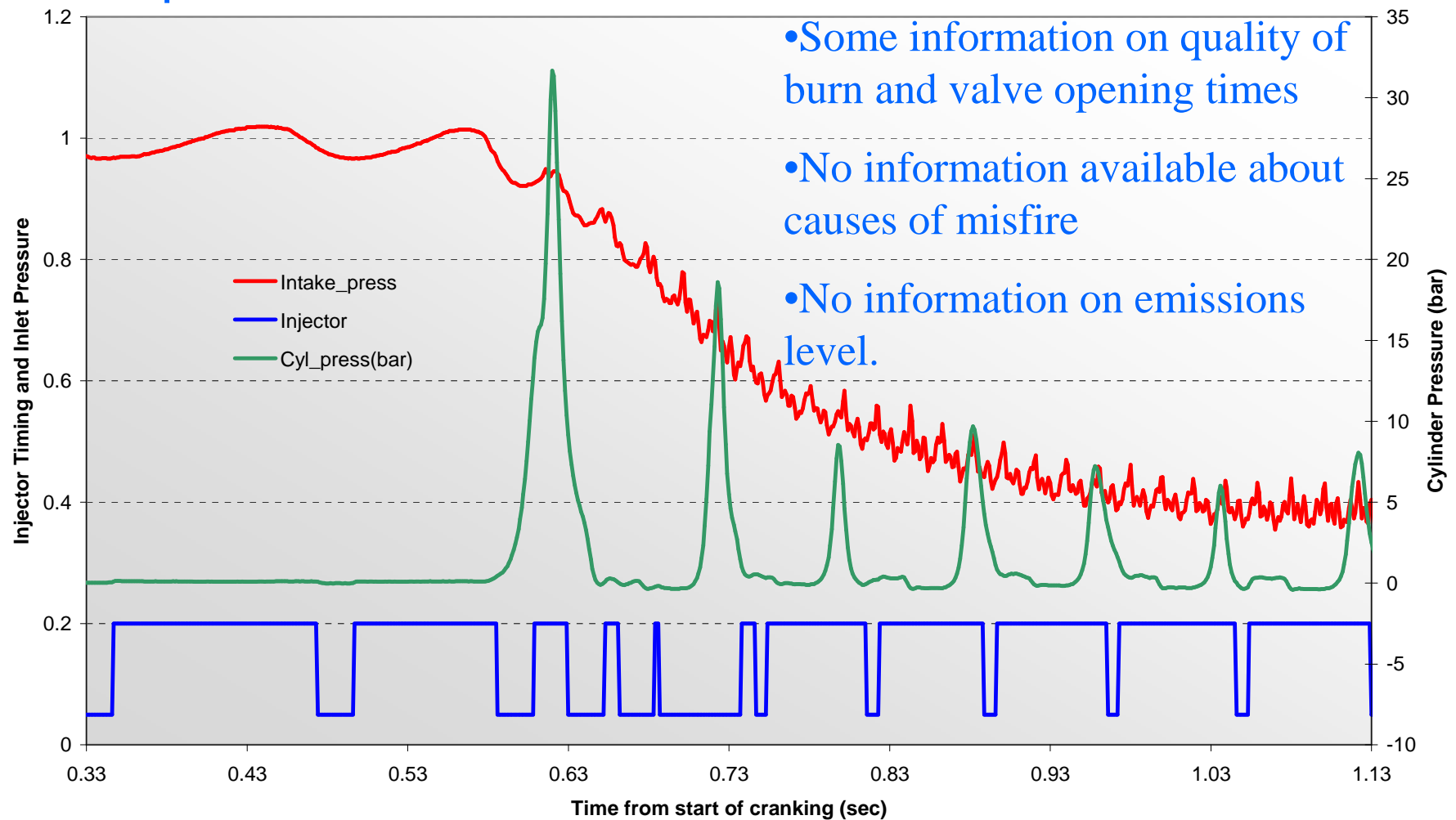


## Equipment:

- Engine. 1.8L, PFI.
- Wide band UEGO
- Combustion NDIR500 (Fast CO and CO<sub>2</sub>)
- Combustion HFR500 (Fast HC)
- Kistler offset plug and pressure transducer.

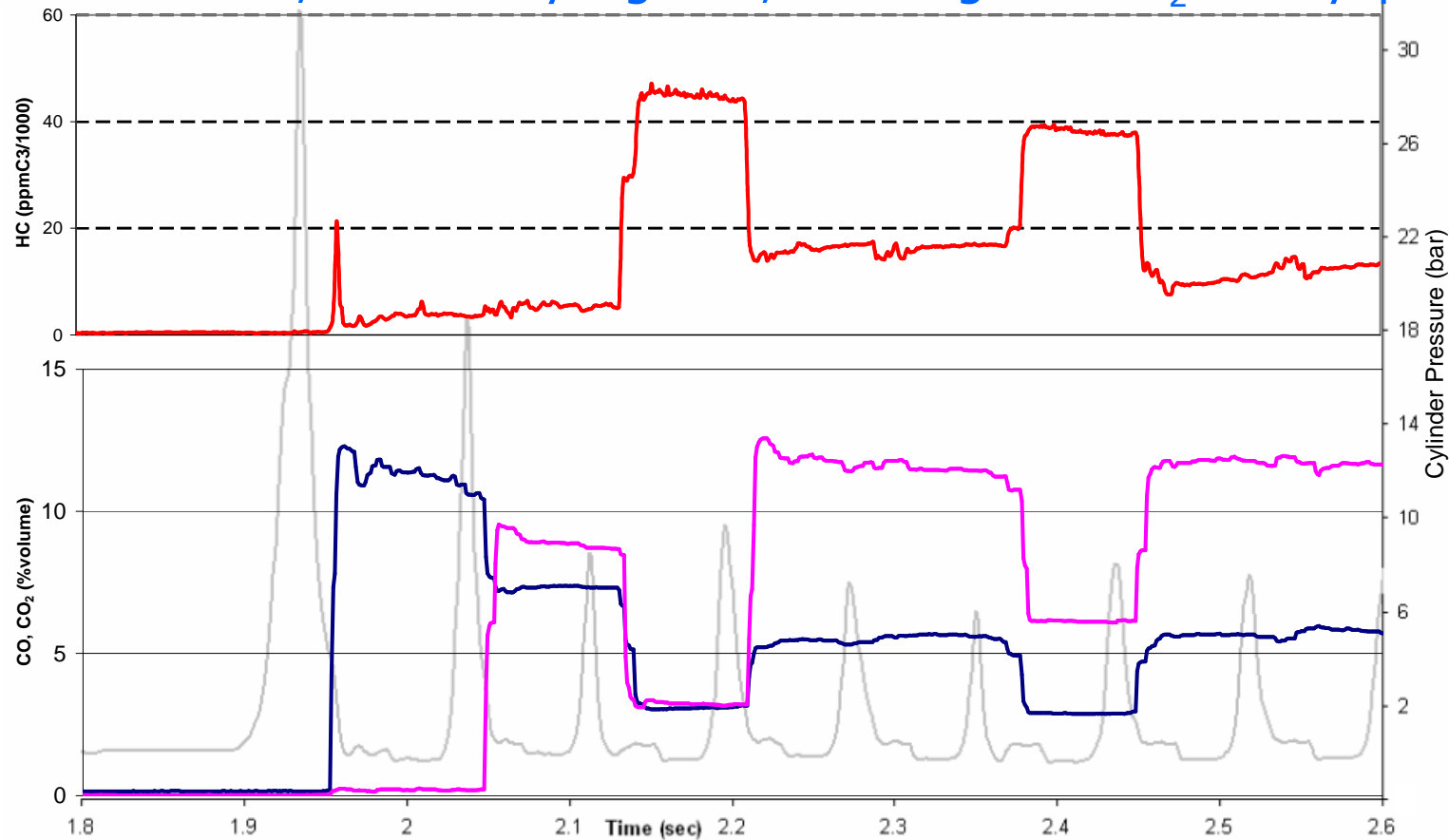
# Engine data for first 6 strokes.

- Large concentration of fuel entering cold cylinder in liquid form is probable cause of misfires.



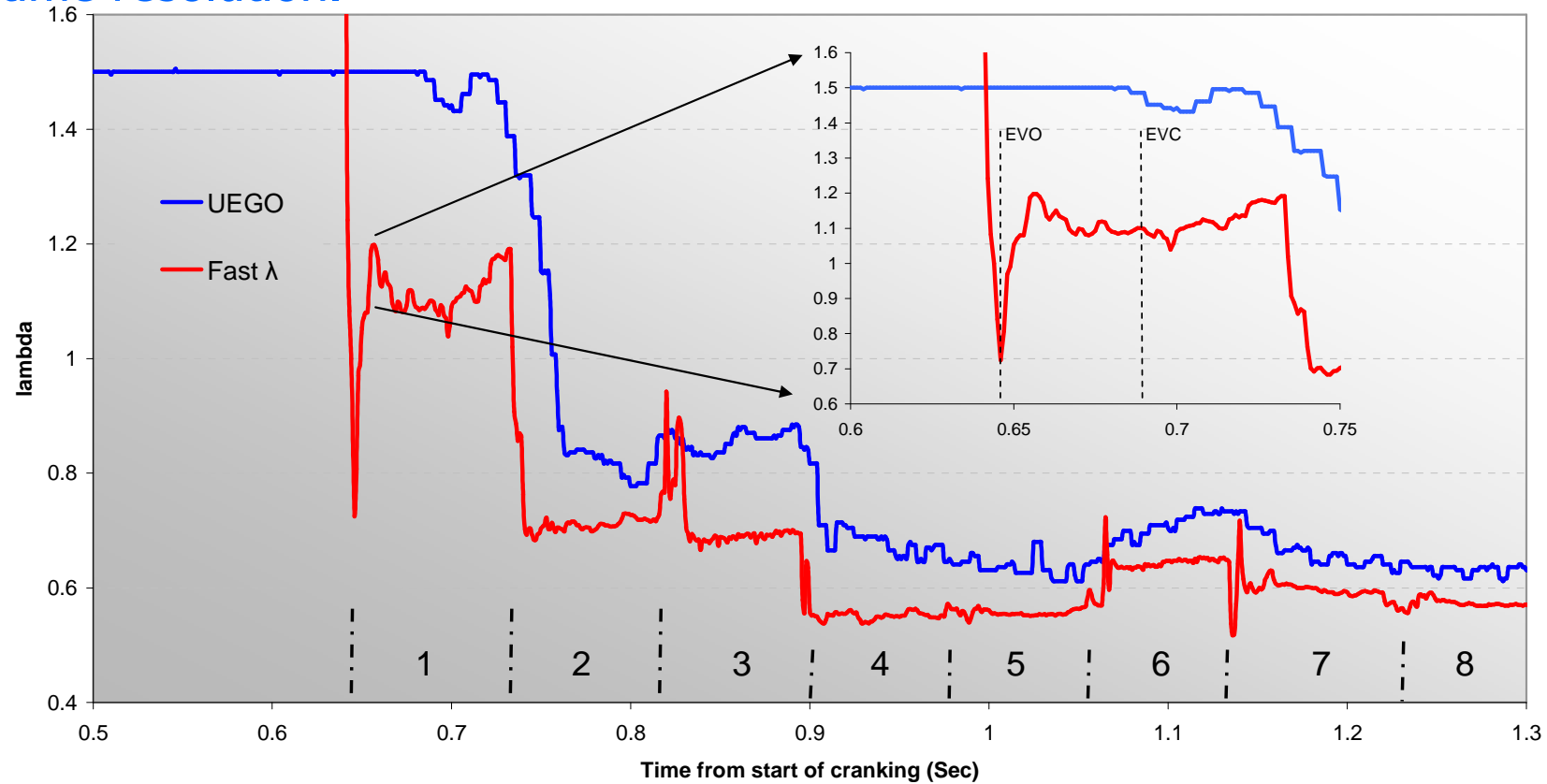
# Raw Data acquired during cold start.

- Fast gas analysers able to distinguish each exhaust event.
- Late Burn stroke 1, High  $\text{CO}_2$ +very low CO suggest lean burn.
- Misfires Strokes 3,6 shown by high HC, reducing  $\text{CO}+\text{CO}_2$  and cyl pressure.



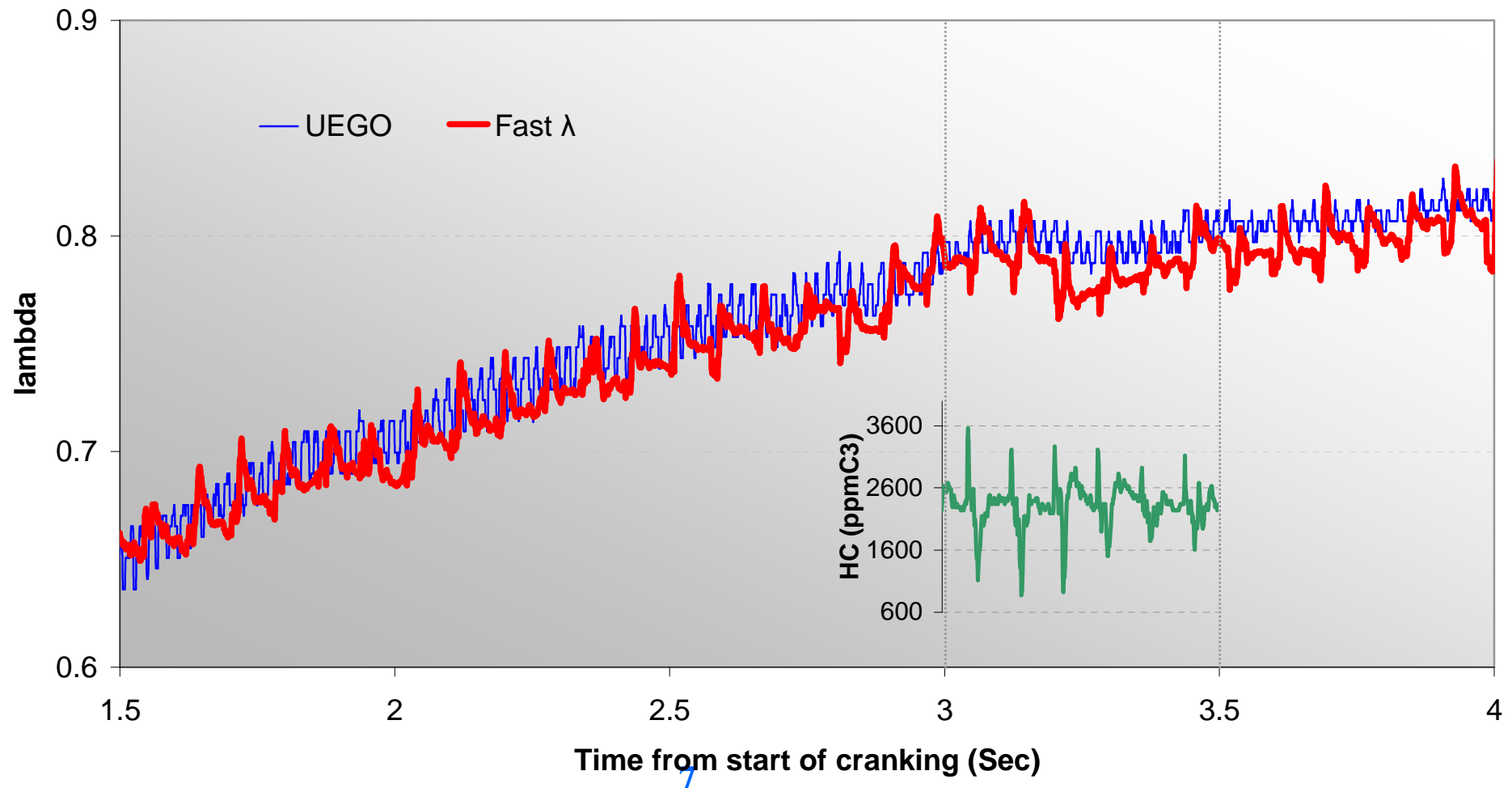
# Post Processed data. Fast $\lambda$ vs UEGO.

- UEGO output can be too lean in the presence of high HC concentrations due to surface effects.
- Calculating  $\lambda$  from combustion gases avoids this problem and allows for fast time resolution.

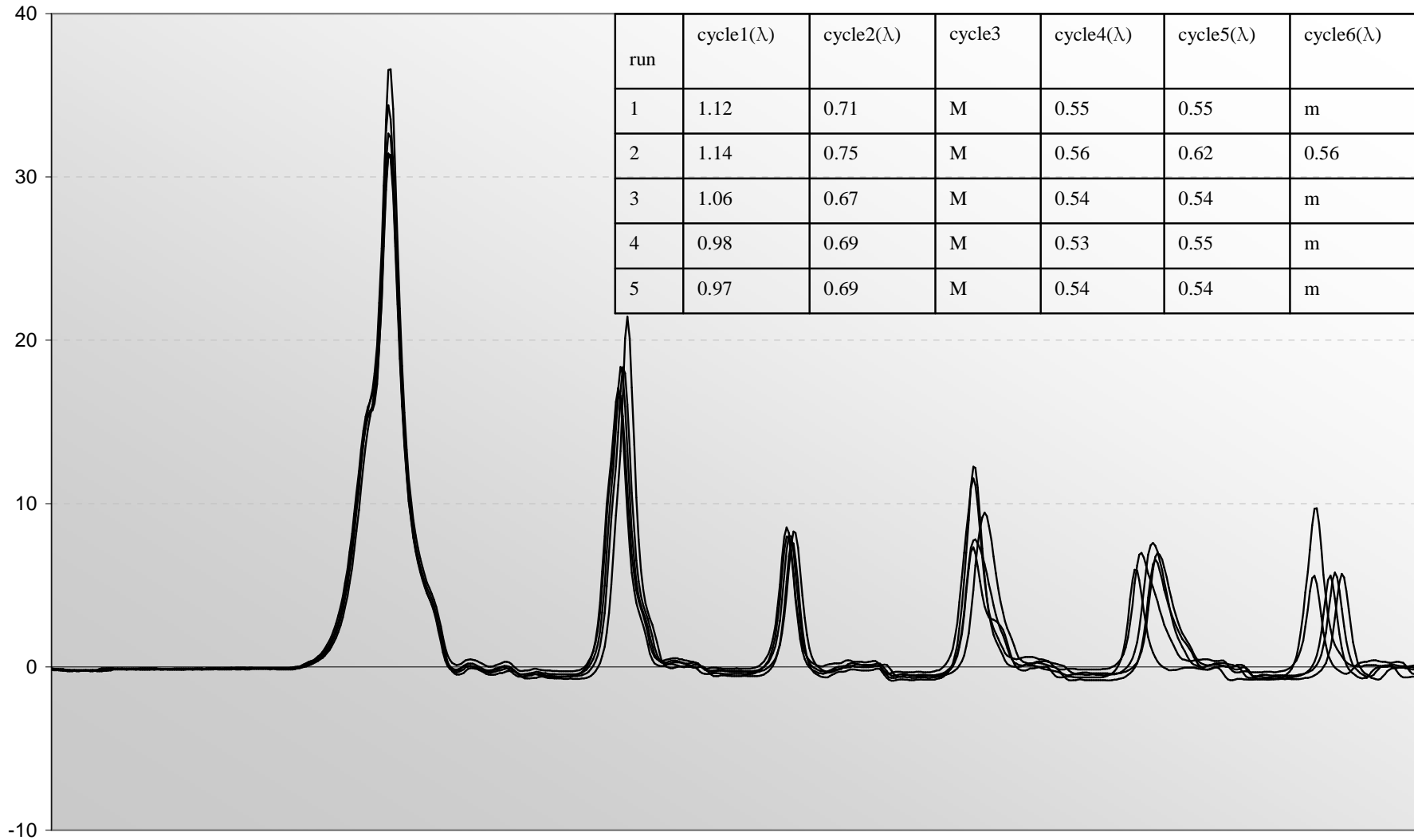


# Post Processed Data – Fast $\lambda$ and UEGO.

- Good agreement is seen when HC concentration is lower.



# Repeatability



# Equations used

In what follows, the assumption is that the actual (wet) mol fractions of CO and CO<sub>2</sub> are available.

If dry composition data is to be used, then the relationship

$$(gas)_{wet} = (1 - (H_2O)) \cdot (gas)_{dry}$$

must be used. Since (H<sub>2</sub>O) will not be known a priori, an iteration is required.

$$n_{O_2} = n + \frac{m}{4} - \frac{r}{2} \quad (\text{mols } O_2 \text{ required for complete combustion of one mol of fuel } C_n H_m O_r)$$

$$n_p = \frac{n}{(n(HC) + (CO) + (CO_2))} \quad (\text{mols of products; } (HC), (CO), (CO_2) \text{ mol fractions; hydrocarbons assumed same composition as fuel } (C_n H_m))$$

$$(H_2O) = \frac{m(1/n_p - (HC))}{2 \left( 1 + \frac{(CO)}{K \cdot (CO_2)} \right)} \quad (\text{mol fraction } H_2O; \text{ mol fraction})$$

(Eq 4.65 in Heywood includes the assumption that  $n(HC) \ll (CO) + (CO_2)$ )

$$(H_2) = \frac{(CO) \cdot (H_2O)}{K \cdot (CO_2)} \quad (\text{mol fraction } H_2)$$

$$(O_2) = \frac{\left( 1 - (HC) - (1 + \varphi/2)((CO) + (H_2O)) - (H_2) - (1 + \varphi)(CO_2) + \frac{r\varphi}{2n_p} \right)}{(1 + \varphi)} \quad (\text{mol fraction } O_2, \varphi = 3.773, \text{ mols } N_2 \text{ per mol } O_2 \text{ in air})$$

$$\lambda = \frac{n_p ((CO) + 2(CO_2) + 2(O_2) + (H_2O)) - r}{2n_{O_2}}$$

or

$$\lambda = \frac{n_p}{2n_{O_2}(1 + \varphi)} \left[ 2(1 - (HC)) - (CO) - m(1/n_p - (HC)) \frac{((CO) + 0.5K(CO_2))}{((CO) + K(CO_2))} - \frac{r}{n_p} \right]$$